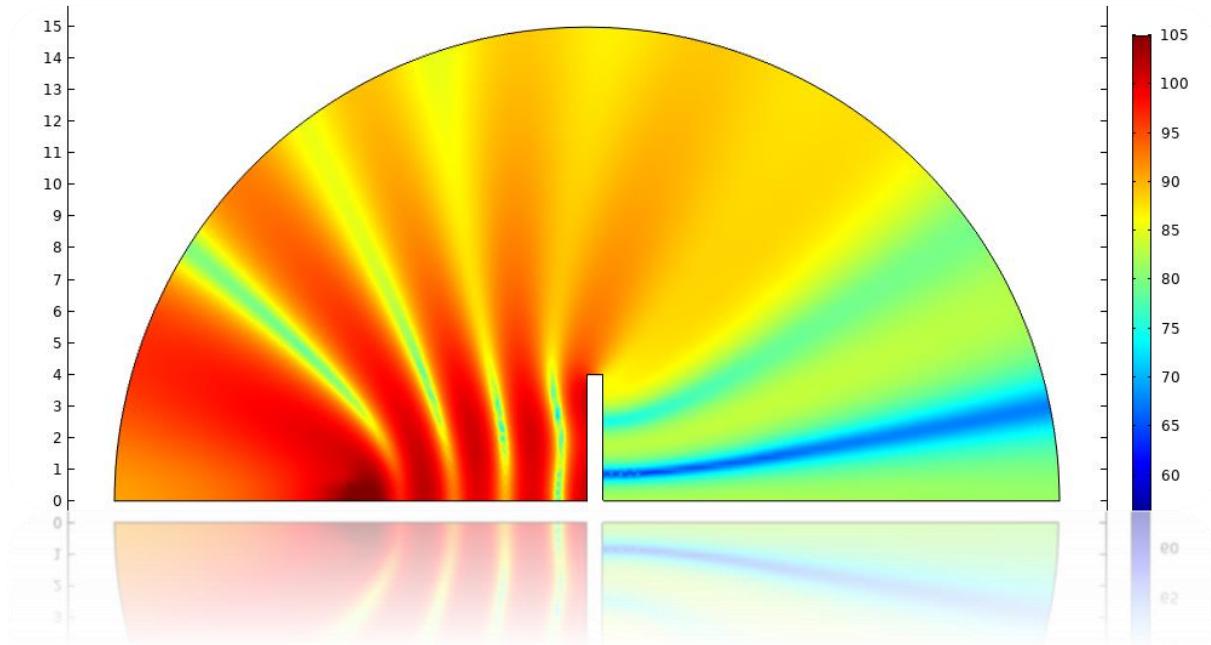




# Visualization of a Noise Barrier for Educational Purposes

Yvonne Heggemann, Tabea Breitkreutz



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1. Project Idea
2. Educational Objective
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# Project Idea

# Project Idea

## Network



### Leadership:

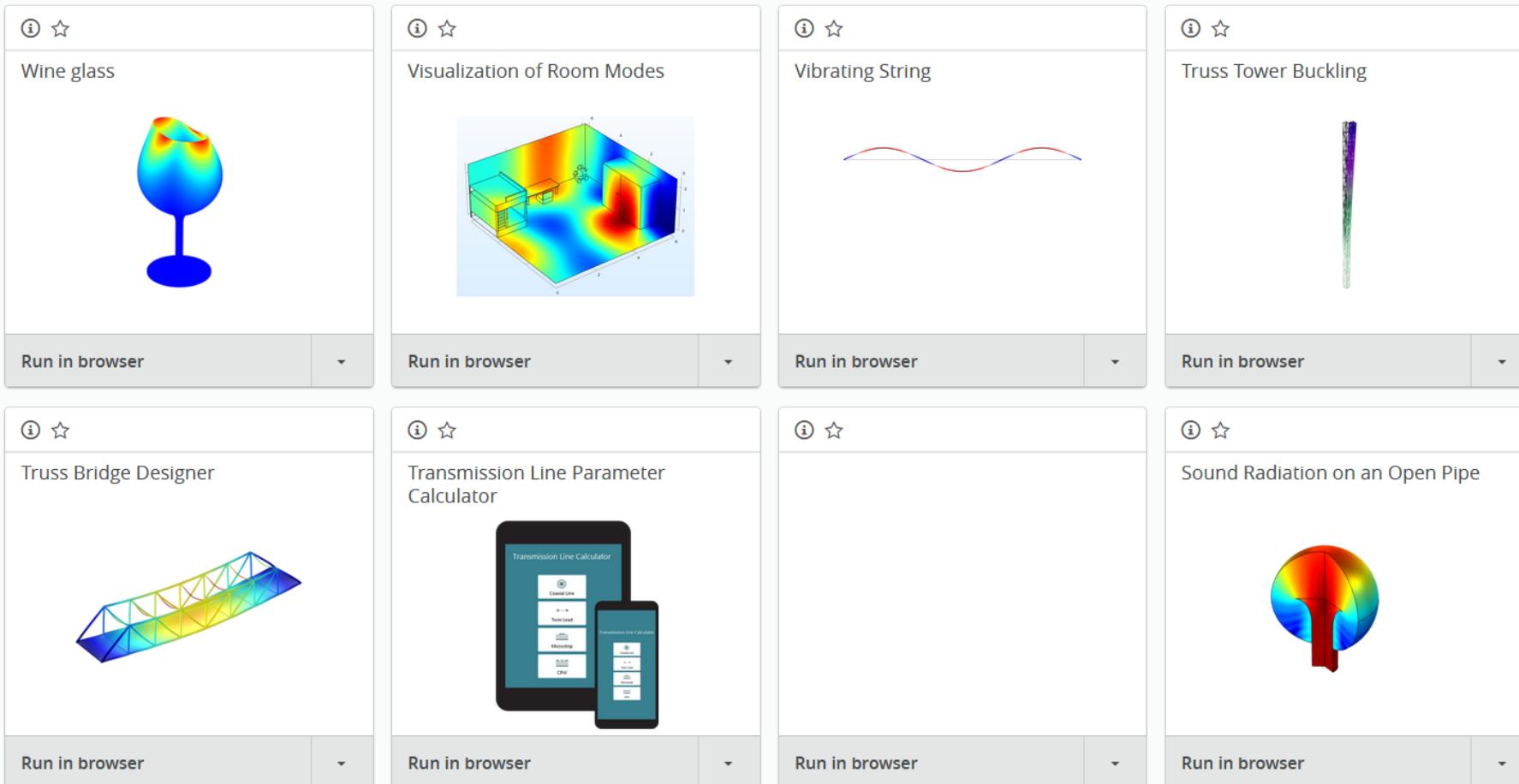
**TU Munich**  
Johannes Schmid  
Michael Buba

### Cooperation with:



# Project Idea

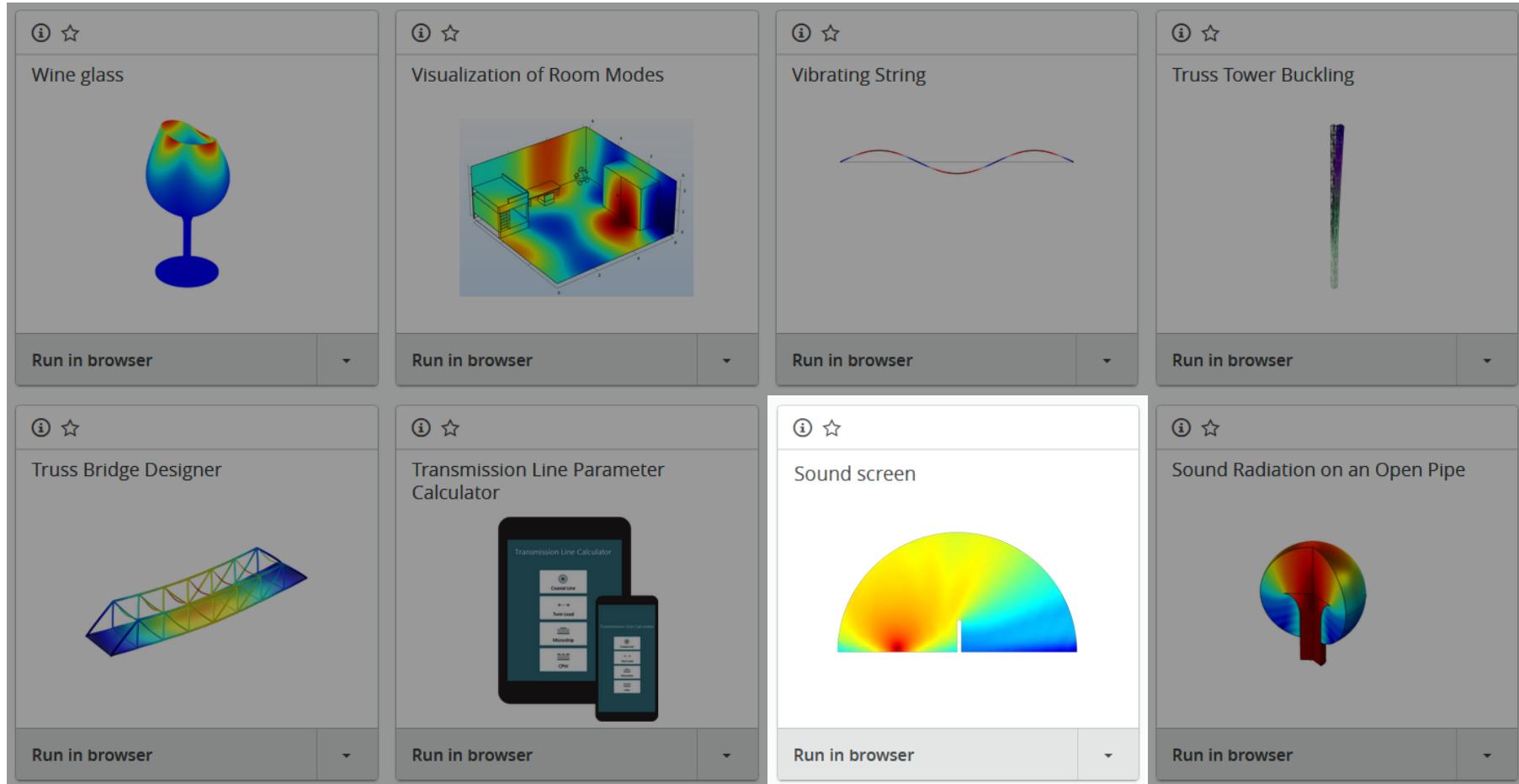
## App Library



Source: <https://apps.vib.ed.tum.de:2037/app-lib>

# Project Idea

## App Library



Source: <https://apps.vib.ed.tum.de:2037/app-lib>

# Educational Objective

# Educational Objective

## **Simulate the impact of a noise barrier**

- Diffraction on the edge of the wall
- Show the impact of a movable measurement point
- How do different absorption coefficients influence the sound?

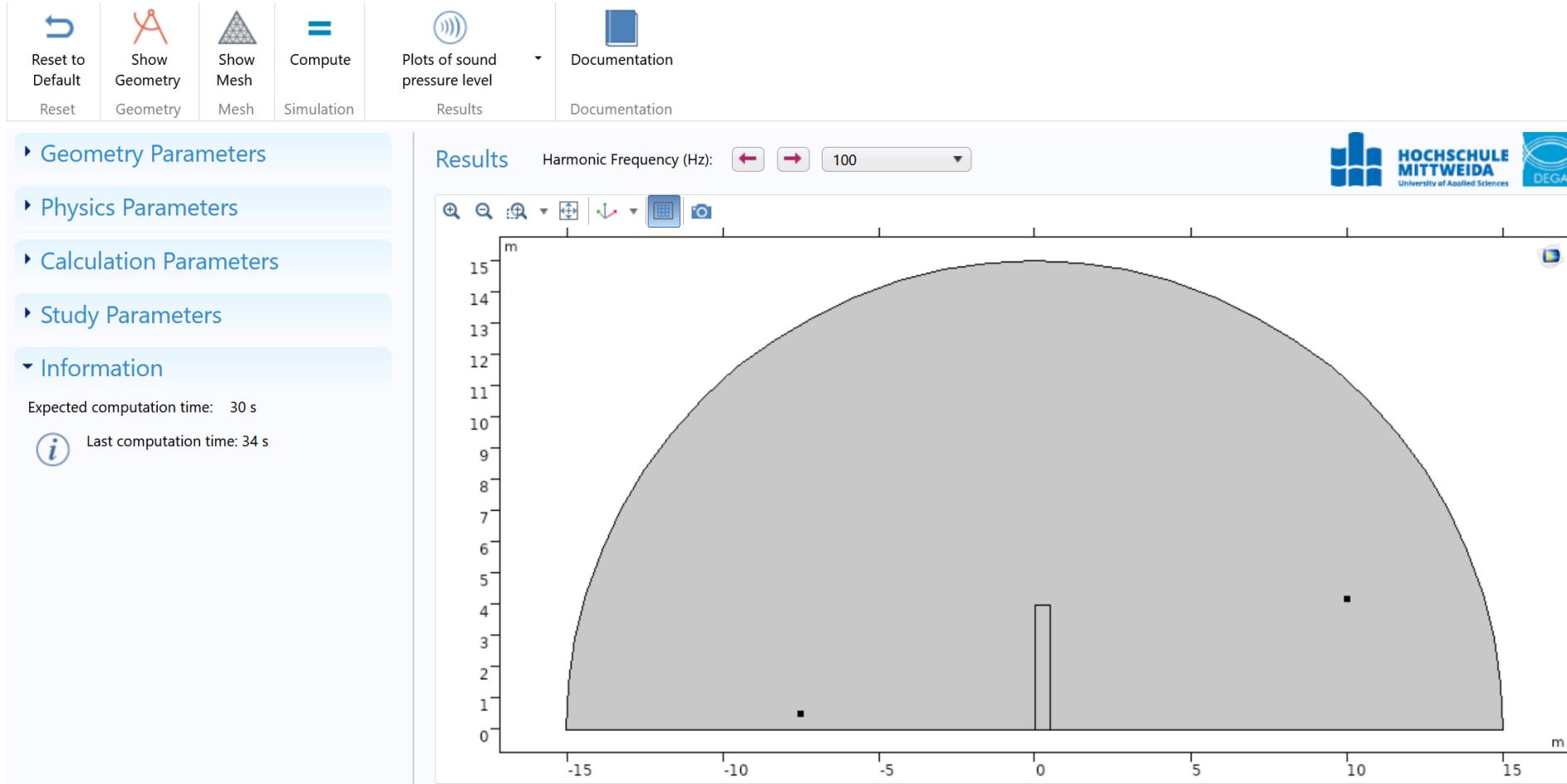
## **Compare simulation and calculations**

regarding different parameters in DIN compliant scenarios

# App Layout

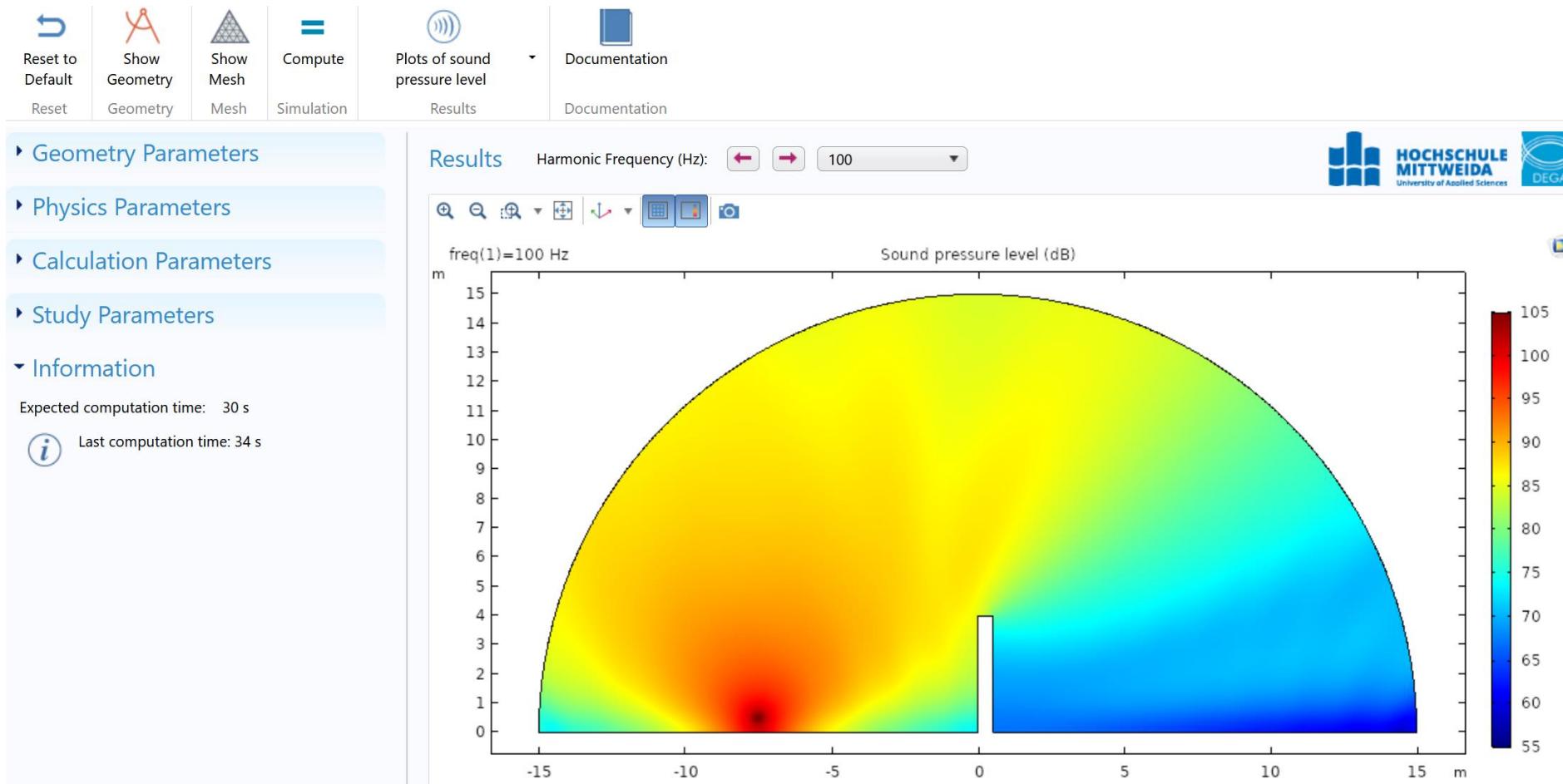
# App Layout

## General Structure



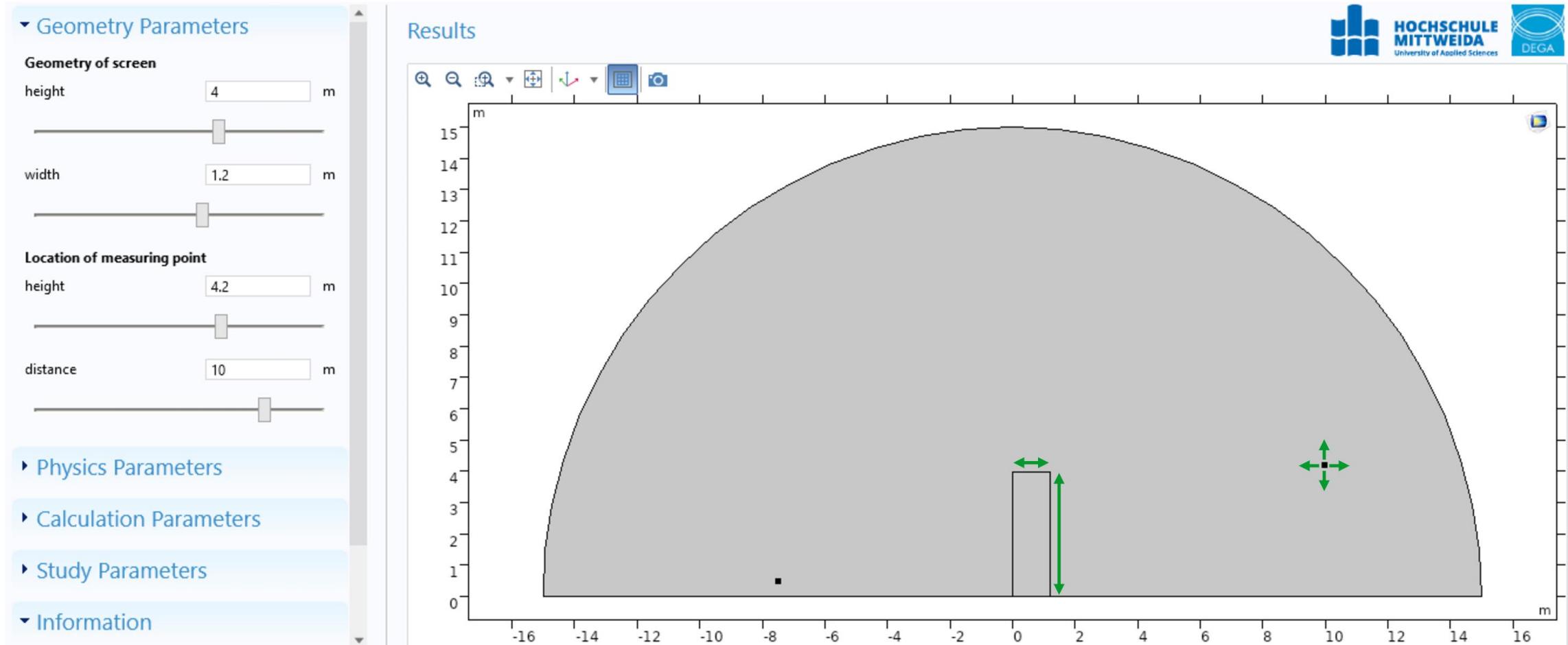
# App Layout

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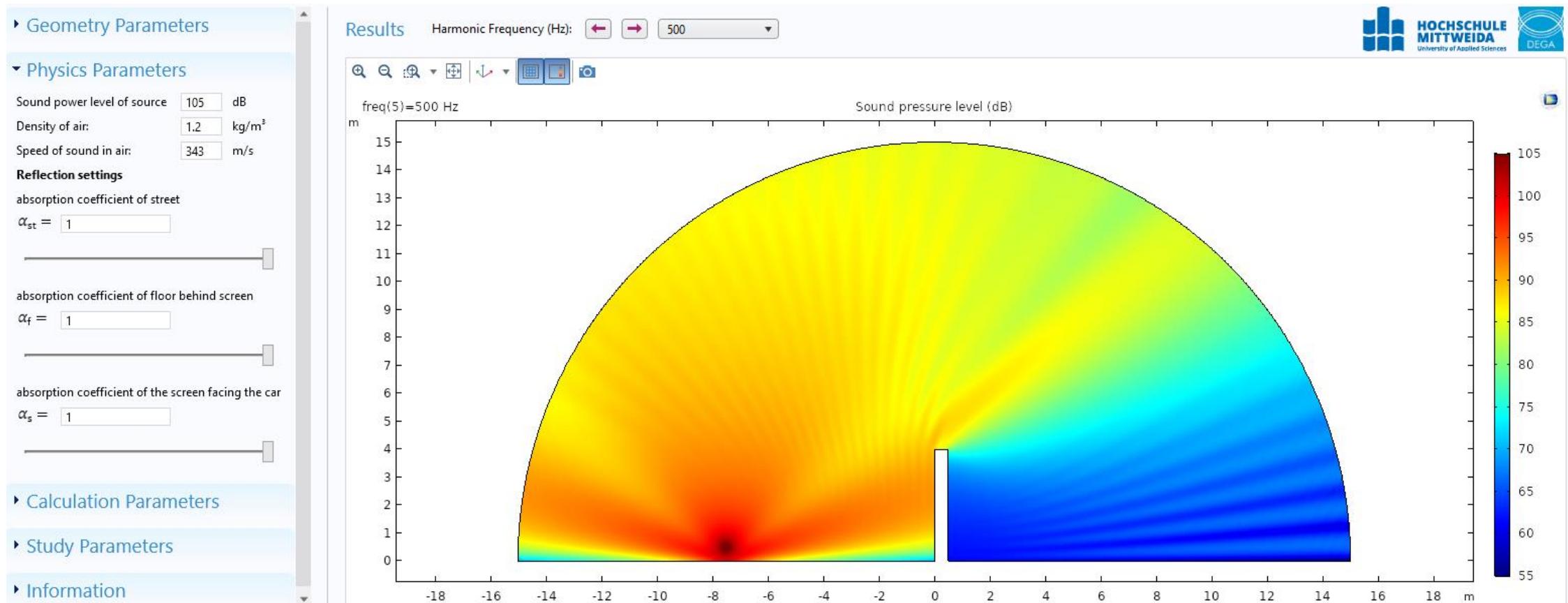
# App Layout

## Geometry



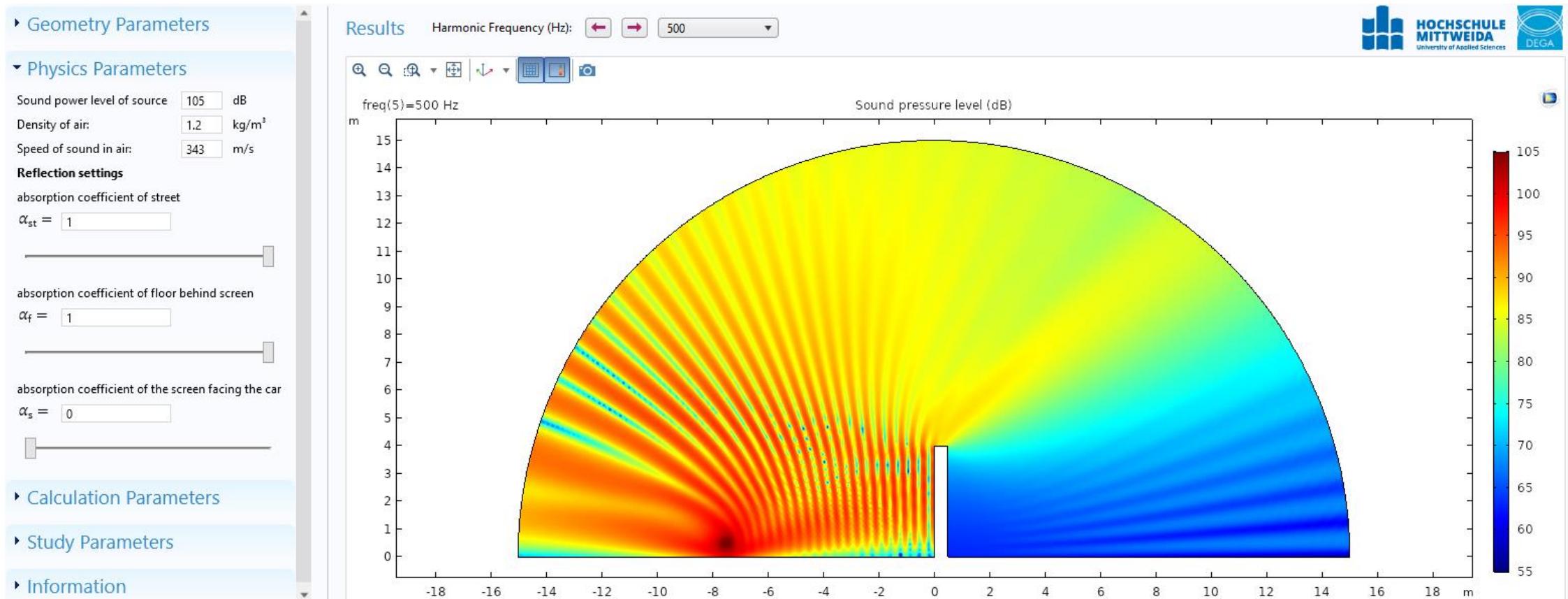
# App Layout

## Physics



# App Layout

## Physics



# App Layout

## Calculations

### ▼ Calculation Parameters

$f =$   Hz

$N =$  0.9613

$N$  is the Fresnel number, which indicates the ratio of path difference to wavelength. If it is 0, the measurement point is on the line of sight; if it is negative, the measurement point is above the line of sight.

$D_z =$  12.9 dB

$D_z$  is calculated with the formula by (KURZE, 1971), which is used in ZTV-Lsw 22:

$$D_z = 20 \lg \left( \frac{\sqrt{2\pi N}}{\tanh \sqrt{2\pi N}} \right) \text{dB} + 5 \text{dB}$$

# App Layout

## Calculations

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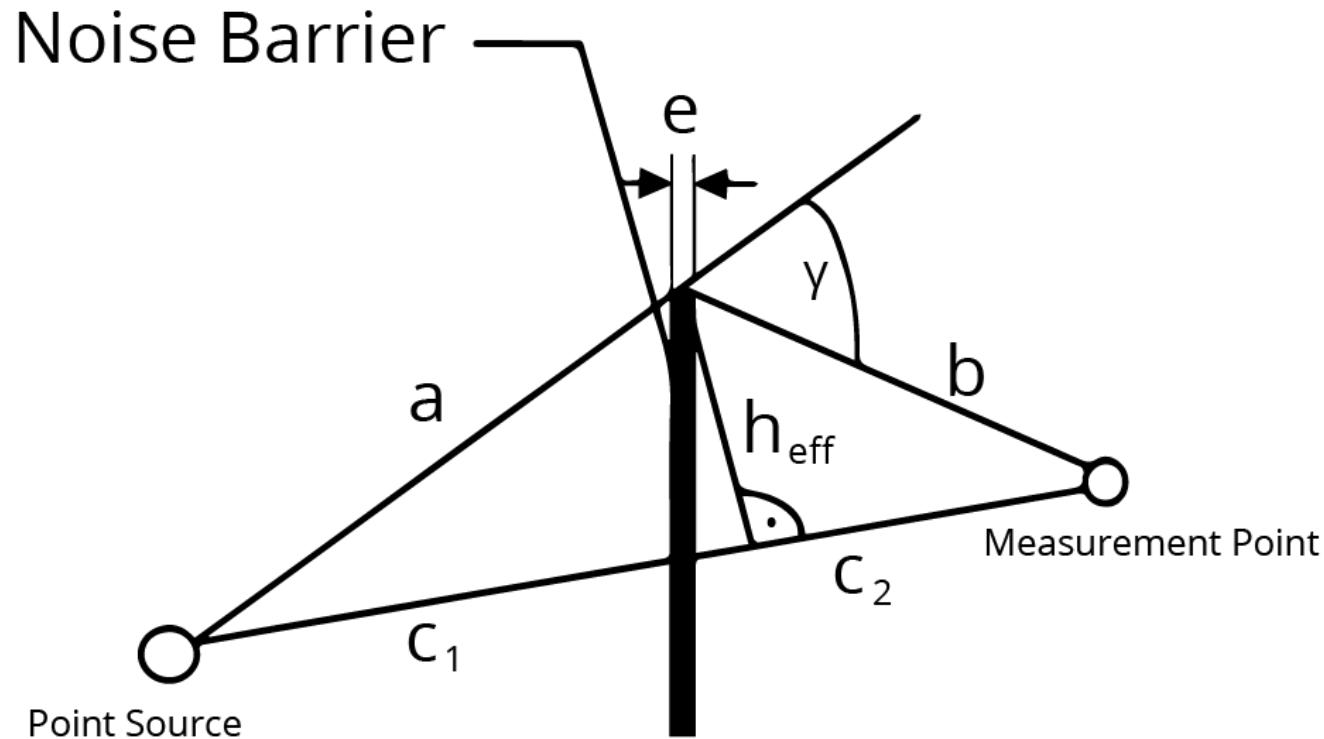
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# App Layout

## Calculations



Hübel, J. and Schulze, C. (2007), Forschung Strassenbau und Strassenverkehrstechnik, Vol. 973, Wirtschaftsverlag N. W. Verlag für neue Wissenschaft, Bremerhaven, p. 19.

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## Calculations

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# App Layout

## Calculations

### Caution!

All calculations refer to the standard setting (all absorption coefficients set to 1).

The barrier attenuation Dz can only be calculated for a measurement point within and below the line of sight. Above the line of sight the inverse square law for sound propagation in full space applies and Dz will be set to 0, even though in reality the value steadily decreases from 5 to 0 dB.

$L_p$  is calculated with the inverse square law in full space.

$$\begin{aligned} L_p &= L_w - 11 \text{ dB} - 20 \lg \left( \frac{r}{m} \right) \text{dB} \\ &= 70.2 \text{ dB} \end{aligned}$$

# App Layout

## Calculations

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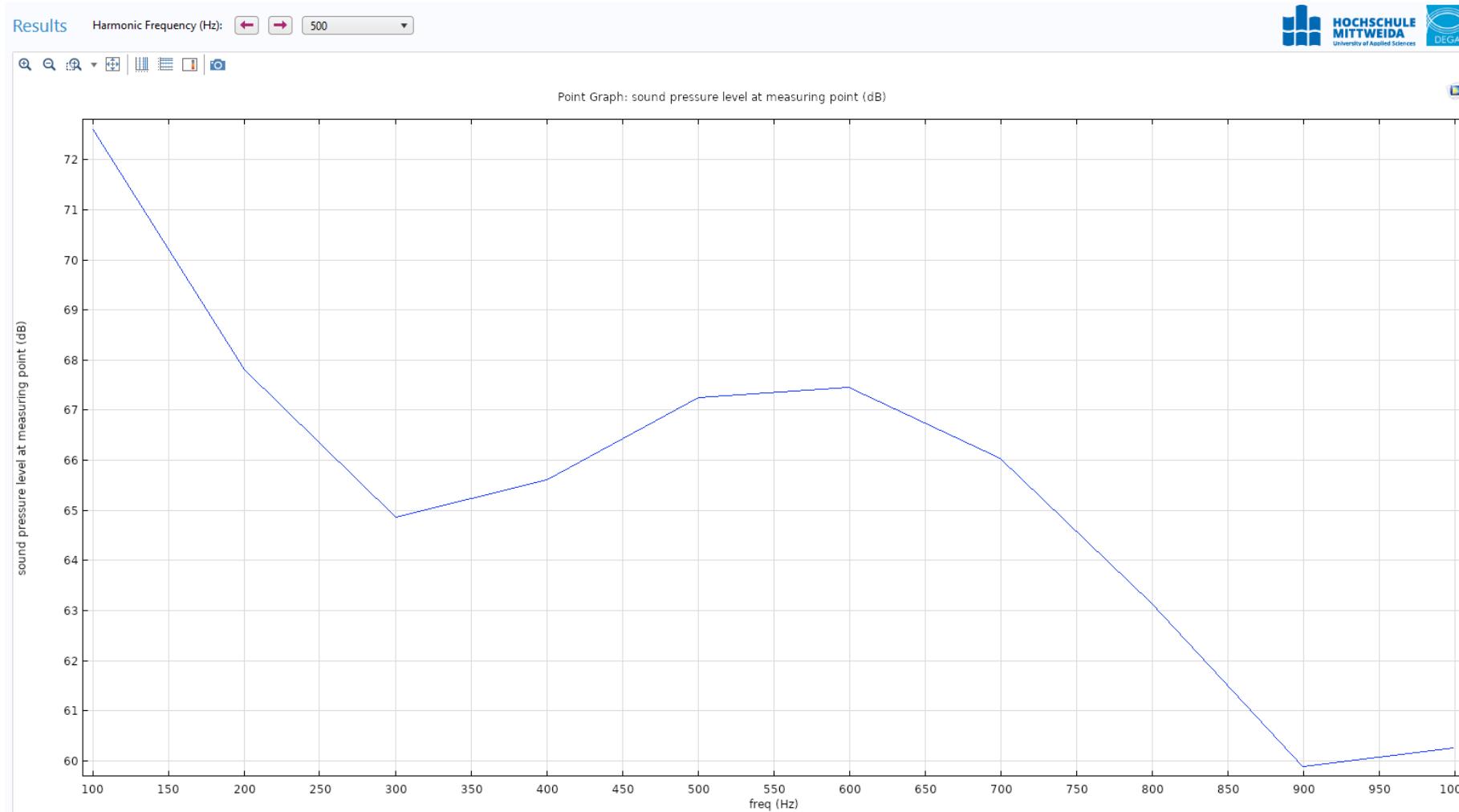
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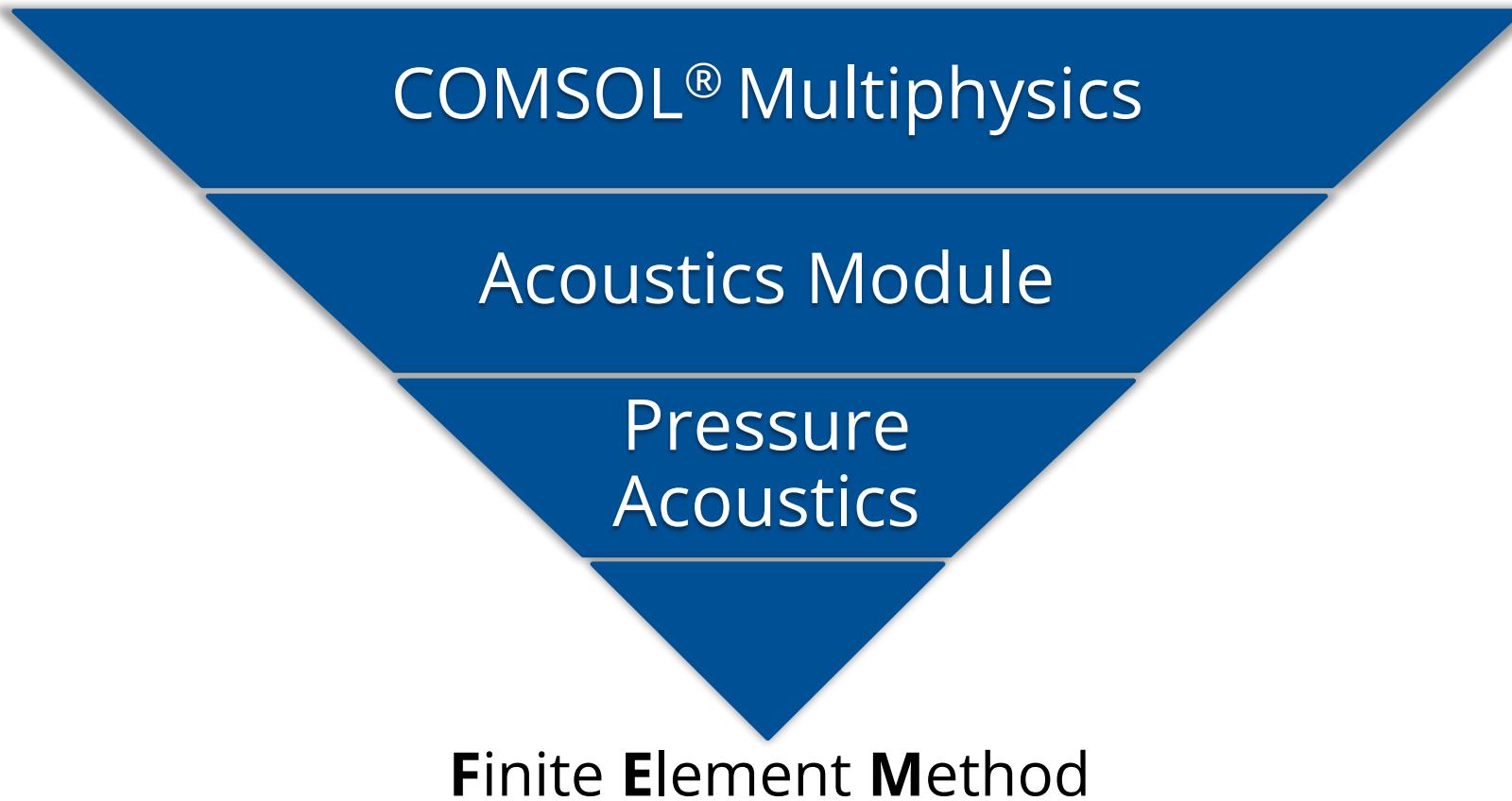
## Point Graph



# Methodology

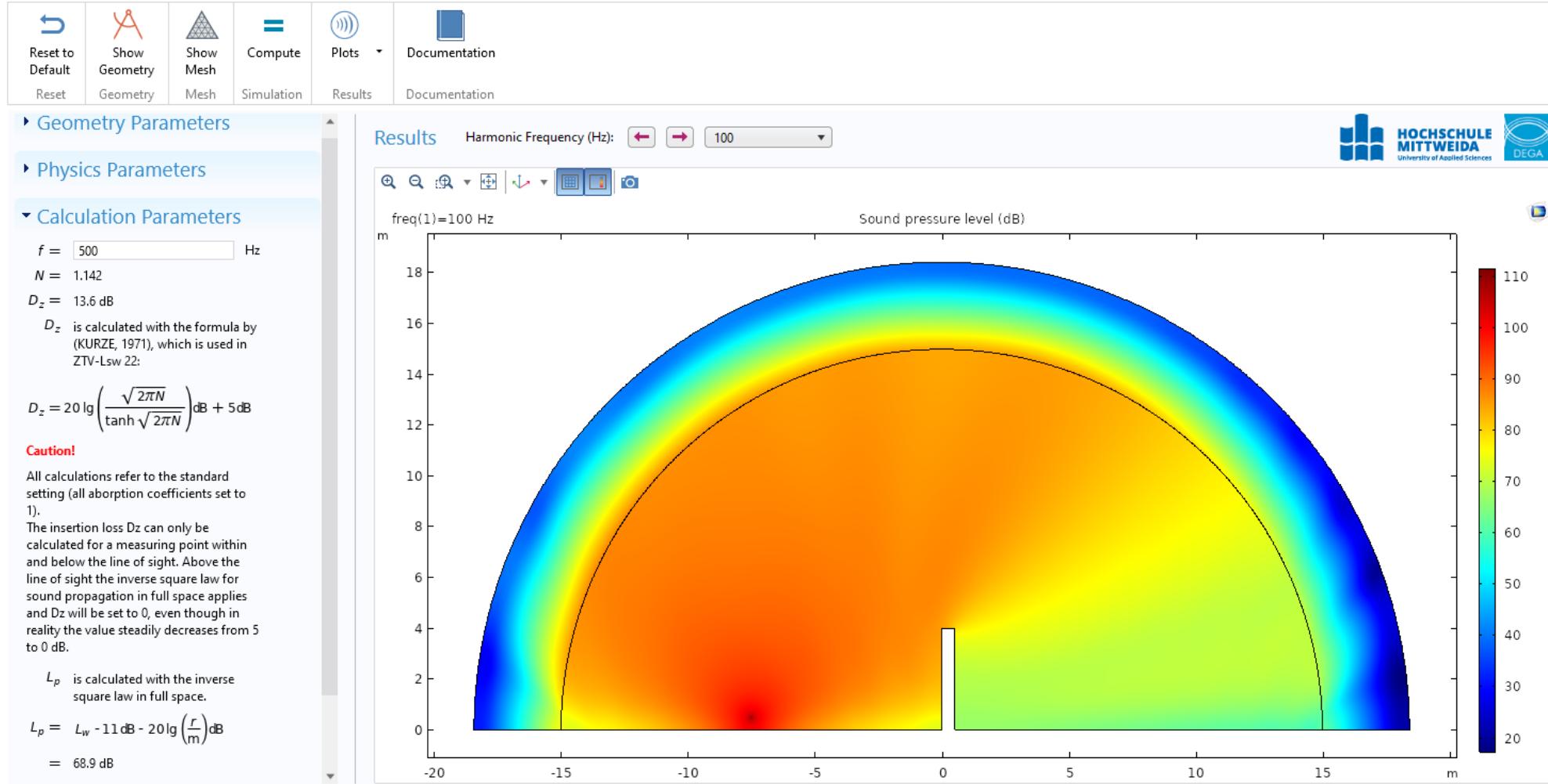
# Methodology

## COMSOL Modules



# Methodology

## Perfectly Matched Layer



# Fields of application

# Fields of application

**Mittweida UAS:** Media / Audio and Acoustical Engineering

Specialisation: Acoustics (Prof. Jörn Hübel)

- Noise Protection (4<sup>th</sup> semester)
- Acoustic Modeling and Simulation (6<sup>th</sup> semester)



**Free to use for everyone:**

<https://apps.vib.ed.tum.de:2037/app-lib>



# Thank You



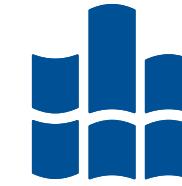
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**Yvonne Heggemann**  
yheggema@hs-mittweida.de

**Tabea Breitkreutz**  
tbreitkr@hs-mittweida.de

Media and Acoustical Engineering  
Specialisation: Acoustics

**Hochschule Mittweida**  
University of Applied Sciences  
Technikumplatz 17 | 09648 Mittweida  
Engineering Sciences



**HOCHSCHULE  
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